

CO₂ emissions and income inequality

Part 2: Empirics

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Introduction

1. Document **relationship** between emissions, GDP, **inequality**
2. Identify the mechanisms at work

Findings

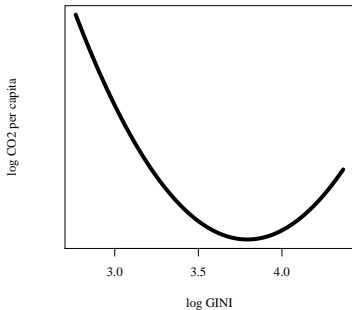
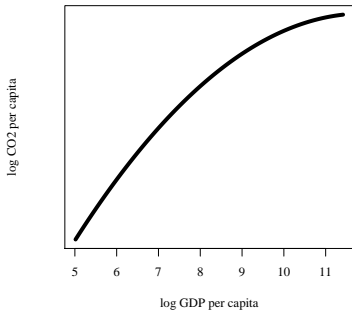


Figure: Relationship between GDP per capita (left), GINI (right) and carbon dioxide emissions

Structure

- ▶ Macro panel
- ▶ Number of countries: 138
- ▶ Time period: 1960–2009
- ▶ 3-year averages: 795 observations
- ▶ Unbalanced

Inequality

- ▶ GINI data from Grün and Klasen (Oxford Economic Papers, 2008)
- ▶ GINI data are adjusted for comparability
- ▶ Much more extensive than existing literature

Other variables

- ▶ GDP: Penn World Tables, real GDP, constant prices
- ▶ CO₂ emissions: CDIAC

Specification

- ▶ gdp is GDP per capita
- ▶ co_2 is CO_2 per capita
- ▶ Model: fixed effects (country and year) with

$$\begin{aligned}\log(\text{co}_2)_{i,t} = & \alpha_i + \lambda_t + \beta_1 \log(\text{gdp}_{i,t}) + \beta_2 \log^2(\text{gdp}_{i,t}) \\ & + \beta_3 \log(\text{GINI}_{i,t}) + \beta_4 \log^2(\text{GINI}_{i,t}) \\ & + \beta_5 \log(\text{GDP}_{i,t}) \log(\text{GINI}_{i,t}) + \varepsilon_{i,t}\end{aligned}$$

- ▶ Robust standard errors

Coefficients

	EKC	GINI	Preferred
$\log(\text{gdp})$	2.46 (0.24)	2.68 (0.37)	2.17 (0.46)
$\log^2(\text{gdp})$	-0.10 (0.01)	-0.11 (0.02)	-0.11 (0.02)
$\log(\text{GINI})$		-0.21 (0.12)	-6.71 (1.58)
$\log^2(\text{GINI})$			0.74 (0.18)
$\log(\text{gdp}) \cdot \log(\text{GINI})$			0.13 (0.07)

Table: Coefficient estimates (standard errors)

Graphs: GDP

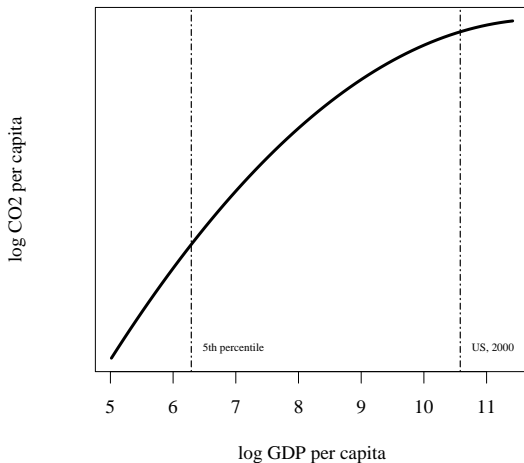


Figure: Relationship GDP per capita and per capita emissions at median GINI

Graphs: GDP

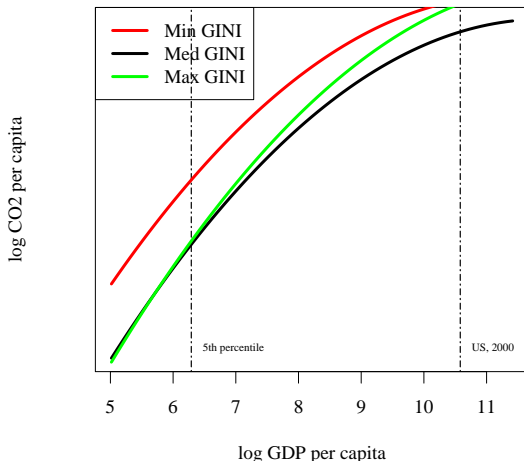


Figure: Relationship GDP per capita and per capita emissions at various values of GINI

Graphs: GINI

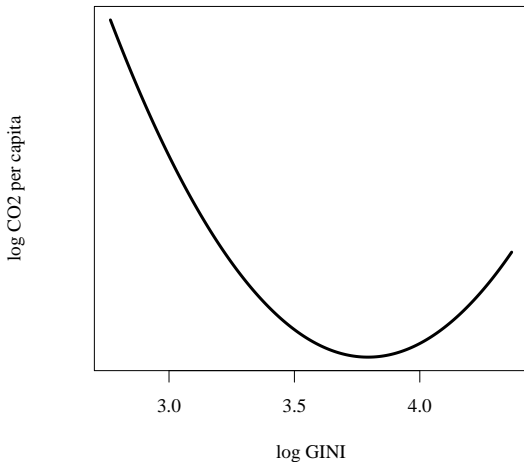


Figure: Relationship GINI and per capita emissions at median GDP

Graphs: GINI

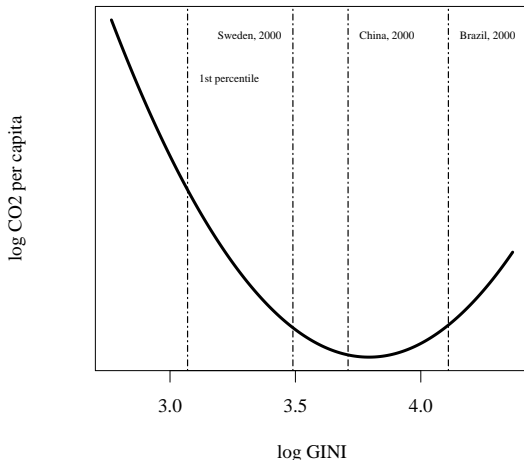


Figure: Relationship GINI and per capita emissions at median GDP

Graphs: GINI

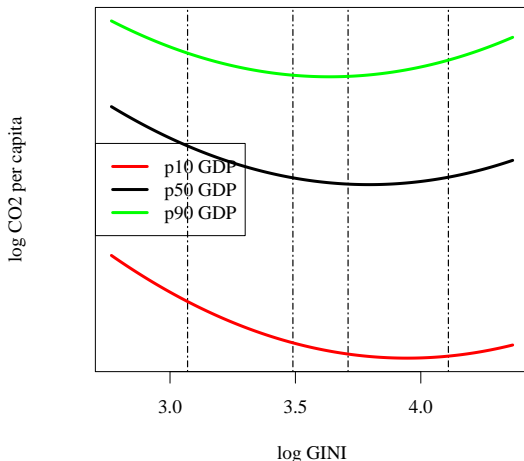


Figure: Relationship GINI and per capita emissions at various values of GDP

Aggregation

	Preferred	Annual	Decadal
$\log(\text{gdp})$	2.17 (0.46)	2.03 (0.33)	1.65 (0.53)
$\log(\text{gdp})^2$	-0.11 (0.02)	-0.11 (0.02)	-0.11 (0.03)
$\log(\text{GINI})$	-6.71 (1.58)	-7.22 (1.29)	-8.62 (3.04)
$\log(\text{GINI})^2$	0.74 (0.18)	0.78 (0.12)	0.83 (0.39)
cross	0.13 (0.07)	0.16 (0.08)	0.28 (0.07)

Table: Coefficient estimates (standard errors)

Robust (2)

	Preferred	1980-	Other GDP
$\log(\text{gdp})$	2.17 (0.46)	2.42 (0.70)	1.44 (0.61)
$\log(\text{gdp})^2$	-0.11 (0.02)	-0.13 (0.04)	-0.08 (0.03)
$\log(\text{GINI})$	-6.71 (1.58)	-9.47 (2.24)	-6.99 (2.25)
$\log(\text{GINI})^2$	0.74 (0.18)	1.08 (0.25)	0.70 (0.26)
cross	0.13 (0.07)	0.15 (0.08)	0.21 (0.08)

Table: Coefficient estimates (standard errors)

Industry share

	Preferred	Industry
$\log(\text{gdp})$	2.17 (0.46)	-0.18 (0.45)
$\log(\text{gdp})^2$	-0.11 (0.02)	-0.01 (0.02)
$\log(\text{GINI})$	-6.71 (1.58)	-6.74 (1.59)
$\log(\text{GINI})^2$	0.74 (0.18)	0.78 (0.19)
cross	0.13 (0.07)	0.11 (0.05)

Table: Coefficient estimates (standard errors)

Summary

- ▶ Inequality measure should be included in income-emission relationship
 - ▶ Theory
 - ▶ Empirical evidence
- ▶ U-shaped relationship CO₂ and inequality
- ▶ This finding is robust against specification changes

To do

- ▶ Homogeneity
in-sample, complete-sample: offsetting mechanisms
- ▶ Mechanism
- ▶ Scenarios to evaluate relative size of effects
- ▶ Unit roots
- ▶ Other inequality measures

Missing data in economics

40% of empirical studies work with missing data

70% of those use a *complete case* estimator

Source: Donald and Abrevaya (2010).

Incomplete observations

- ▶ an observation is **incomplete** not all variables are observed
- ▶ incomplete observations can be **informative**

Examples

- ▶ missing instruments
- ▶ unbalanced panel data
- ▶ no gain: OLS

Generalized method of moments

- ▶ We are interested in a parameter $\theta_0 \in \mathbb{R}^p$
- ▶ We know that **moment condition** $E(h(X, \theta_0)) = 0$ holds
 - ▶ $X \in \mathbb{R}^d$ is a random vector
 - ▶ $h : \mathbb{R}^d \times \mathbb{R}^p \rightarrow \mathbb{R}^q$ is a moment function
- ▶ A **random sample** for X is available
- ▶ Consider the **sample moment** $\bar{h}_n(\theta) = \frac{1}{n} \sum_{i=1}^n h(X_i, \theta)$
- ▶ GMM **estimator** minimizes a quadratic form of it

Rodrik example (3)

All data available:

$$h = \begin{pmatrix} h_1 \\ h_2 \\ h_3 \\ h_4 \end{pmatrix}, S_1 = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

constant
distance to equator
settler mortality
trade share constructs

Rodrik example (3)

No instruments available

$$h = \begin{pmatrix} h_1 \\ h_2 \\ \times \\ \times \end{pmatrix}, \quad S_2 = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix}$$

constant
distance to equator
settler mortality
trade share constructs

Rodrik example (3)

Only trade share constructs available

$$h = \begin{pmatrix} h_1 \\ h_2 \\ \times \\ h_4 \end{pmatrix}, S_3 = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

constant
distance to equator
settler mortality
trade share constructs

Rodrik example (3)

Dependent or explanatory variable missing

$$h = \begin{pmatrix} \times \\ \times \\ \times \\ \times \end{pmatrix}, \quad S_4 = \begin{pmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{pmatrix}$$

constant
distance to equator
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trade share constructs

Semiparametric efficiency

Definition

The **semiparametric efficiency bound** is a lower bound on the variance of any regular semiparametric estimator

Theorem

The semiparametric efficiency bound for θ_0 is equal to B^{-1}



IV: setup

Linear IV

- ▶ Linear IV model with one endogenous variable and two instruments
- ▶ No exogenous variables or constant
- ▶ $E \begin{pmatrix} Z_1(y - X'\beta) \\ Z_2(y - X'\beta) \end{pmatrix} = 0,$

Two similar, normalized, partially missing instruments

- ▶ Same correlation with the endogenous variable
- ▶ Each instruments is equally likely to be missing

IV: results

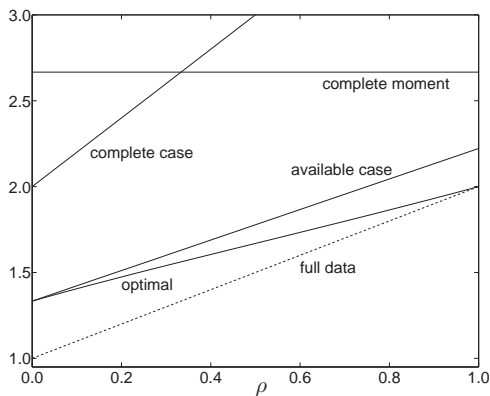


Figure: Asymptotic variance for estimators of β as a function of ρ .

Conclusion

- ▶ missing data is a very common problem
- ▶ often, incomplete observations are informative
- ▶ we show how to efficiently combine all information
- ▶ the estimator is easy to implement and computationally cheap
- ▶ it extends to inverse probability weighting, continuous updating GMM